

## UNIT-II

- 4 a Calculate the probabilities that among 18 engineering students, assume that 50% of all 5 M engineering students are good in Mathematics find the probability that
  (i) exactly 10 (ii) at least 10 (iii) at least 2 and at most 9 are good in mathematics.
  - **b** If *X* is a Poisson variate, such that P(X = 0) = P(X = 2) + 3P(X = 4). Compute the **5** M (i) Mean (ii) variance and (iii)  $P(X \le 2)$ .

5 M

## OR

**5 a** Construct a binomial distribution for the following data

Х	0	1	2	3	4	5	6
$f(\mathbf{x})$	13	25	52	58	32	16	4

b The mean height of 500 students is 151 cm, and the standard deviation is 15 cm, 5 M assuming that the heights are normally distributed, calculate how many students' heights lie between120 and 155 cm.

## Q.P. Code: 18HS0835

## UNIT-III

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6	Cor	mpute Ka	rl Pears	son and l	Bowle	y's c	coeffi	cient	of Sk	tewnes	s to	the fo	ollow	ing	data	1
	Х	X 0-10 10-20 20-30 30-40 40-50 5		60 50	)-60 60-70		0	70-80	80	-90	90-100					
	F	2	6	11	20	0	40		75	45		25	1	8	8	
								OR								
7	a	Find mod	de to th	e follow	ing da	ta.										5
		Х	0 - 1	0 10	- 20	20 -	- 30	30 -	40	40 - 5	50 50 - 60		50 0	60 - ´	70	
		F	4	1	3	2	1	44	1	33		22		7		
	b	Find two	regress	sion equa	ations	fron	n the	follov	ving c	lata.						5
		Х	10	25		34	4	42	37	1	35		36	4	45	
		Y	56	64		63		58	73		75		82		77	
							UI	NIT-I	V							
8	a	Applying	g metho	d of leas	st saua	re pi	rincir	ole, co	nstru	ct a cu	rve	of the	form	ו v =	$ae^{bx}$ to	5
		the follow	wing da	ita I	<b>X</b>	7	100	10		00	205			2		
		10110			$\begin{array}{c c} \mathbf{X} & 7 \\ \hline \mathbf{X} & 2 \end{array}$	/	100	18	$\frac{5}{2}$	39 2	285	4				
	Ŀ	Enormin	tha at-	nifican	$\mathbf{Y} = 2$	.4	5.4 For a	/.(	ן י שניים	1.1	19.6		Tre c	to ~4	airran torra	F
	D		the sig	mincane	e or in	e ull ined	are	ce 0f	mean	IS OF UV	vo g	roups	ma	lest	giventwo	2
		groups o	I Studel	18	20		ale a	50	/0 /0	36		3/	10		41	
		Gr	up I.	20	20	2	6	35	30			3 <del>4</del> ΛΛ	49		+1	
			Jup II.	29	20	L	0	0 <b>P</b>	30	44		44				
9	я	Fit a seco	ond-dec	ree nolv	momis	al to i	the fo	ollowi	no da	ta hy i	netł	nod of	least	sau	ares	5
,	a				2	3	$\frac{110}{4}$	)110 w 1	ing ua	lia Uy I	neu	100 01	icasi	. squ	ures	•
		v	1	1.8 1	3 2	.5	6.3									
	b	At a cert	ain date	e in a lar	ge city	/ 400	) out	of a ra	andor	n samı	ole d	of 500	men	wer	e found to	5
		be smok	ers. Aff	ter the h	eavv 1	taxat	ion c	on toh	acco	anothe	er sa	ample	of 6	00 n	nen in the	
		same cit	v inclu	ded 400	) smol	kers	Exa	mine	whet	her de	cre	ase in	the	nroi	nortion of	
		smokere	signific	a = 100	, 5110		L/Au		,, 1101	iici ut		ube 11		PIU		
		SHIOKCIS	SIGHIIC	ant:			<b>T T</b>		17							
10	т	·	41 1		41. 4	<b>41</b> .	<u>U</u> .	<b>INII-</b>	V		4 . 11		41	41.	<b>.</b>	1
10	10	examine	the hy	pothesis	$f_{10}$		nusba	ands a	are m	nore in	itell	igent	than	the	wives, an	1
		The result	iook a s	sample o		oupi	es an	u aum	imste	ered th	em	a test	which	n me	asures the	
	<u>л.</u> Ц	. The lest		$\frac{105}{105}$	$\frac{1}{7}$	)5	123	100	86	78	1(	)3 1	7			
	X/	ives	106	$\frac{103}{98}$	7 10	) <u>)</u>	125	95	<u>00</u>	60	1(	$\frac{1}{8}$	57			
		st the hur	othesis	with 21	reason	<del>ب ر</del> ahle	test 4	יר at the	1evel	of sig	$\frac{110}{\text{nifi}}$	$\frac{10}{2} = 0.$	, F 0 04	5 and	l calculate	
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	1 - L							OR								
11	а	Samples	of two	types	of ele	ctric	al lig	zht bi	ılbs v	were t	este	d for	leng	th o	f life and	5
		following	g data v	vere obta	ained								0			-
			Sam	ple num	bers	San	nple 1	nean	San	nple S.	D					
		Type I		8		1	234 h	nrs.	3	36 hrs.						
		<u> </u>				4	00 < 1			10.1						

Type II71036 hrs.40 hrs.Is the difference in the means sufficient to warrant that type I is superior to type II regarding length of life.

**b** A die is thrown 264 times with the following results. Show that the die is biased. **5M** [Given  $\chi^2_{0.05} = 11.07$  for 5 degrees of freedom]

V 0.03		-				
No. appeared on the die	1	2	3	4	5	6
Frequency	40	32	28	58	54	52

\*\*\*END\*\*\*